

Bitwise Operator

- The Bitwise operator are AND, OR, XOR, Complement, Left shift , Right Shift.
- These operators work on integral type of data and they perform operation on Binary representation of data I.e, 0's and 1's.
- Bitwise operators are used in applications of networking , Encryption and Decryption etc.
- Bitwise calculations starts from right hand side.

Operator	
&	AND
	OR
^	XOR
~	Complement
<<	Left Shift
>>	Right Shift

Understanding Binary numbers system :

- To understand bitwise we first need to understand binary number system . Binary number system uses only 0's and 1's
- Decimal number system uses numbers from 0 - 9
- To convert decimal to binary we can do it in either 2 ways

0 → 0 # 0 is 0

1 → 1 # 1 is 1

+ 1 # adding 1 to 1 to make it 2

2 → 10 # binary form of decimal no 2

+ 1 # adding 1 to binary of 2 to make it 3

3 → 11 # binary form of decimal no 3 so on...

+ 1

4 → 100

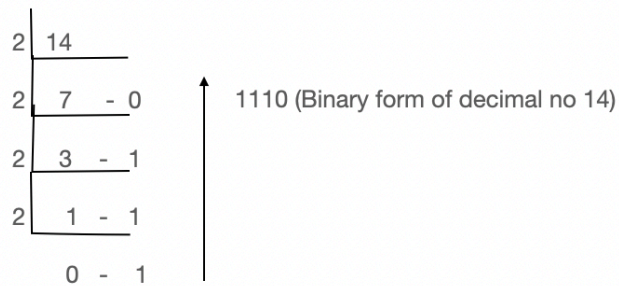
+ 1

5 → 101

Decimal	Binary
0	0
1	1
2	10
3	11
4	100
5	101
6	110
7	111
8	1000
9	1001
10	1010
11	1011
12	1100
13	1101
14	1110
15	1111

Table for decimal to binary

Consider decimal number as - 14



Let us check this in IDLE

```
Python 3.9.7 (v3.9.7:1016ef3790, Aug 30 2021, 16:39:15)
[Clang 6.0 (clang-600.0.57)] on darwin
Type "help", "copyright", "credits" or "license()" for more information.
>>>
>>> a=10
>>> format(a, 'b')
'1010'
>>> a=14
>>> format(a, 'b')
'1110'
>>> format(25, 'b')
'11001'
>>> a=25
>>> bin(a)
'0b11001'
>>> a.bit_length()
5
>>>
```

Bitwise Operations

- Let us understand all the bitwise operators with an example
- Consider $a = 10$ (binary of 10 is 1010)
 $b = 13$ (binary of 13 is 1101)

AND operations (&)

- AND works on multiplication
- Working of AND -

- $1 * 1 = 1$
 $1 * 0 = 0$
 $0 * 1 = 0$
 $0 * 0 = 0$

Ex : a - 1010

b - 1101

a & b - 1000 = 8 (Decimal form of binary number)

OR operations (|)

- OR works on addition
- Working of OR - $1 + 1 = 1$
 $1 + 0 = 1$
 $0 + 1 = 1$
 $0 + 0 = 0$

Ex : a - 1010

b - 1101

a | b - 1111 = 15 (decimal form of binary number)

XOR operations (^)

- Working of XOR - $1 \wedge 1 = 0$
 $1 \wedge 0 = 1$
 $0 \wedge 1 = 1$
 $0 \wedge 0 = 0$

Ex: a - 1010

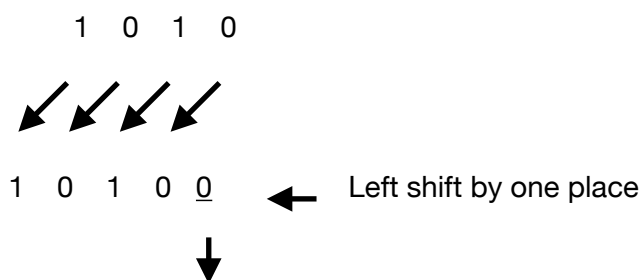
b - 1101

$$a \wedge b - 0111 = 7 \text{ (decimal form of binary number)}$$

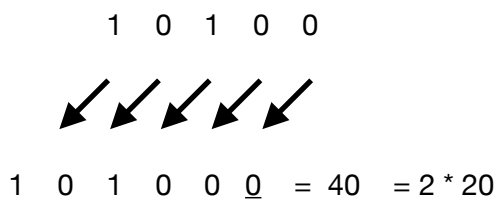
- Leading zero doesn't make sense
- Hence, we consider 111 whose decimal form is 7

Left shift (<<) and right shift (>>)

- $a = 10$ (binary of 10 = 1010)
- If we left shift 'a' by one place i.e, $a \ll 1$ then



- After left shift by one place the bit that is freed will be taken as zero.
- Now $10100 = 20 = 2 * 10$
- If we left shift 20 again then,



- We see that when we left shift the number will double for one place i.e; $a \ll n$, $a * 2^{\text{(power } n\text{)}}$
- If we double the left shift i.e, $a \ll 2$ then

$$a \ll 2 = 2^{\text{(power } n\text{)}} * a = 4 * 10 = 40$$

- similarly, if we do $a \ll 5$, then the value gets double for 5 times

$$a \ll 5 = 2^{\text{(power } 5\text{)}} * a = 32 * 10 = 320$$

- If we RIGHT SHIFT the number will become half.

a = 10 ->

1 0 1 0



— 1 0 1 0 (this 0 gets discarded)



This leading empty space has no value (it becomes zero)

- Right shift operator divide by 2 i.e; $a \gg n$ $a / 2^n$ (power n)